

## chapter12\_2\_4 and chapter12\_2\_4\_extra Modeling in the Frequency Domain for Example 12.2

We will learn how to use MATLAB's Symbolic Math Toolbox to solve a system of simultaneous equations which can be represented in matrix form as  $AX = B$ , where  $A$  is the matrix formed for the coefficients of the unknowns,  $B$  is a vector containing the input, and  $X$  is a vector containing the unknowns.

### Tools used

Expression	Description
$\det(A)$	Evaluates the determinant of the square matrix argument
$\text{simple}(s)$	Simplifies the solution by shortening the length the symbolic function, $s$

Matrix input: this is simply accomplished by enclosing the entire matrix in a pair of square brackets and using a space to separate the each element, and using a semicolon to separate each row.

```
% Onwubolu, G. C.  
% Mechatronics: Principles & Applications  
% Elsevier  
%  
% Mechatronics: Principles & Applications Toolbox Version 1.0  
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%  
% Chapter 12 Modeling in the Frequency Domain  
%  
% Example 12.2 MATLAB's Symbolic Math Toolbox may be used to  
simplify  
% the solution of simultaneous equations by using Cramer's rule. A system of  
simultaneous  
% equations can be represented in matrix form by  $Ax = B$ , where  $A$  is the  
matrix formed  
% from the coefficients of the unknowns in the simultaneous equations,  $x$  is a  
vector  
% containing the unknowns, and  $B$  is a vector containing the inputs. Cramer's  
rule states  
% that  $x_k$ , the  $k$ th element of the solution vector,  $x$ , is found using  $x_k =$   
 $\det(A_k)/\det(A)$ ,  
% where  $A_k$  is the matrix formed by replacing the  $k$ th column of matrix  $A$  with  
the input  
% vector,  $B$ . In the text we refer to  $\det(A)$  as "delta". In MATLAB matrices are  
written with a  
% space or comma separating the elements of each row. The next row is  
indicated with a  
% semicolon or carriage return. The entire matrix is then enclosed in a pair of  
square  
% brackets. Applying the above to the solution of Example 2.10:
```

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% A=[(R1+L*s) -L*s;-L*s (L*s+R2+(1/(c*s)))] and Ak=[(R1+L*s) V;-L*s 0]. The
function
% det(matrix) evaluates the determinant of the square matrix argument. Let
us now find
% the transfer function G(s) = I2(s)/V(s), asked for in Example 2.10. The
command
% simple(S), where S is a symbolic function, is introduced in the solution.
Simple(S)
% simplifies the solution by shortening the length of S. The use of simple(I2)
shortens
% the solution by combining like powers of the Laplace variable, s.

'Example 12.2' % Display label.
syms s R1 R2 L1 L2 V % Construct symbolic objects for frequency
% variable 's', and 'R1', 'L1', 'L2', and 'V'.
%R1=360E+3; R2=200E+3;
%L1=100E+3; L2=200E+3; V=50;
A2=[(R1+L1*s+R2) V;-R2 0] % Form Ak = A2.
A=[(R1+L1*s+R2) -R2;-R2 (R2+L2*s)]
% Form A.
I2=det(A2)/det(A); % Use Cramer's rule to solve for I2(s).
I2=simplify(I2); % Reduce complexity of I2(s).
G=I2/V; % Form transfer function, G(s) = I2(s)/V(s).
'G(s)' % Display label.
pretty(G) % Pretty print G(s).
%pause

```